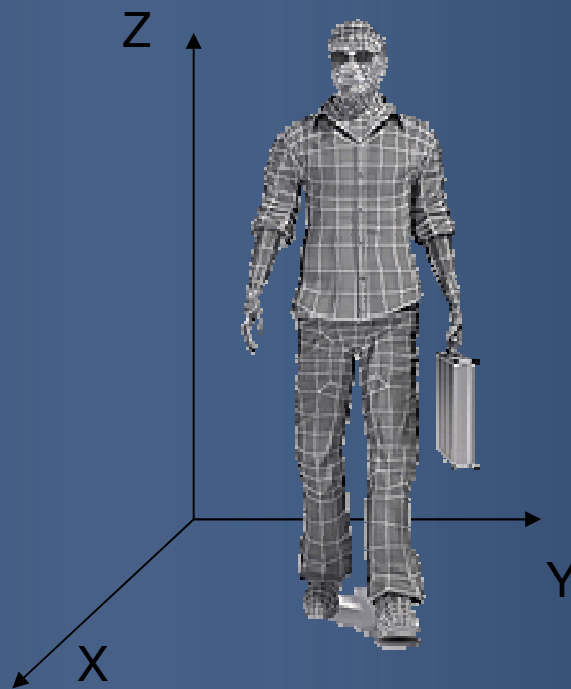


SFS

(Shape from shiloutte)



Jordi Cenzano
December - 2008

Index

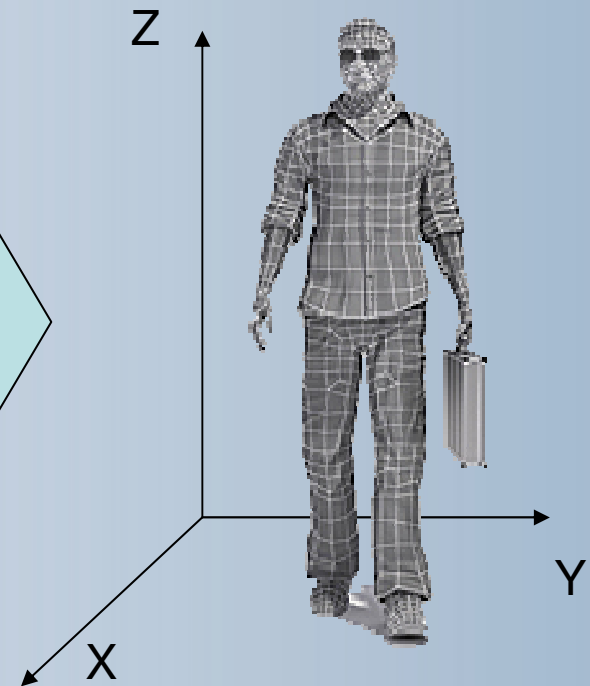
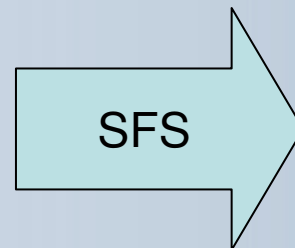
- SFS (Shape From Shiloutte) – Visual Hull.
 - Introduction
 - From 2D to 3D
 - Thin lens
 - Calibrate
 - Intrinsics (K)
 - Extrinsics (P_{cw})
 - Projection matrix (P_{rj})
- SFS
- **New:** Object labeling
- **New:** PSFS (Partitioning SFS)

SFS - Visual Hull

Introduction (1/3)



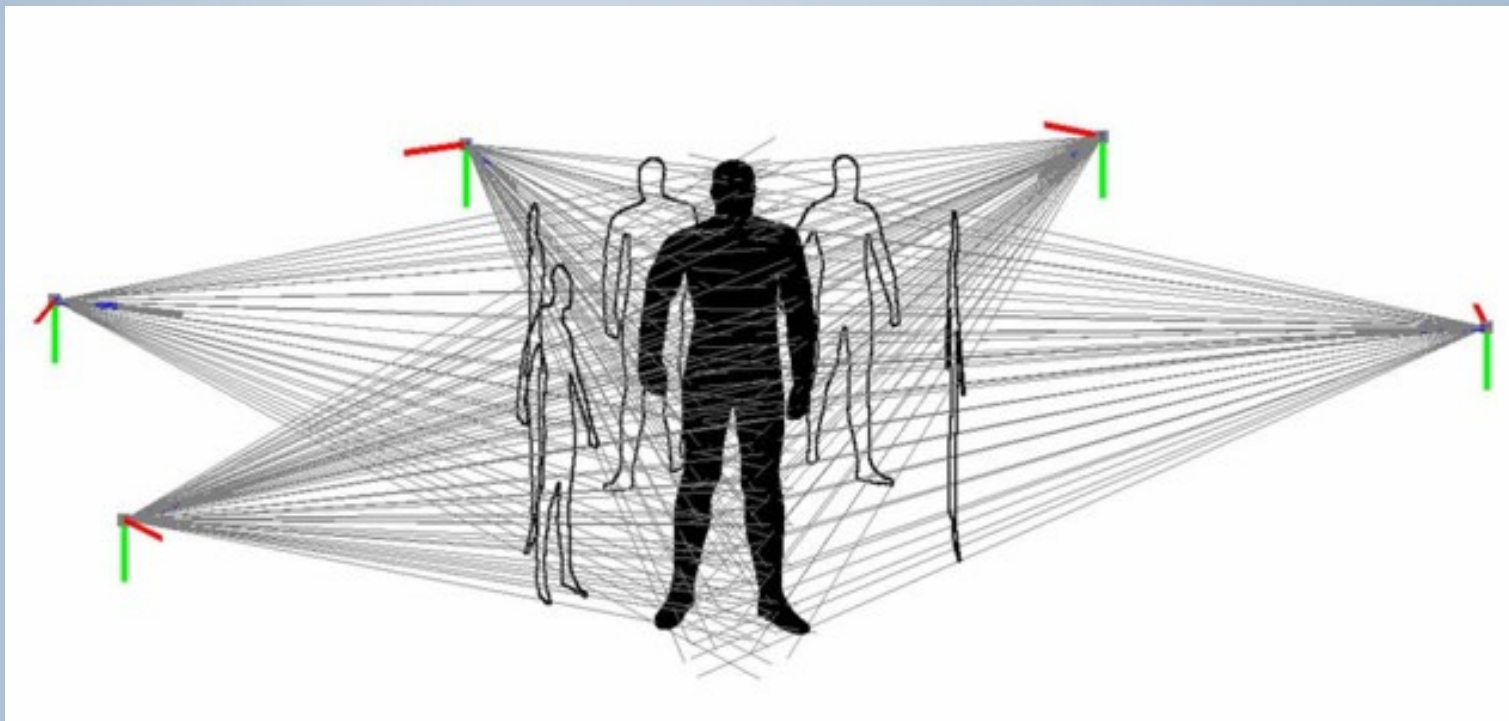
$N \times 2D$ Images



$1 \times 3D$ Mesh & Textures

SFS - Visual Hull

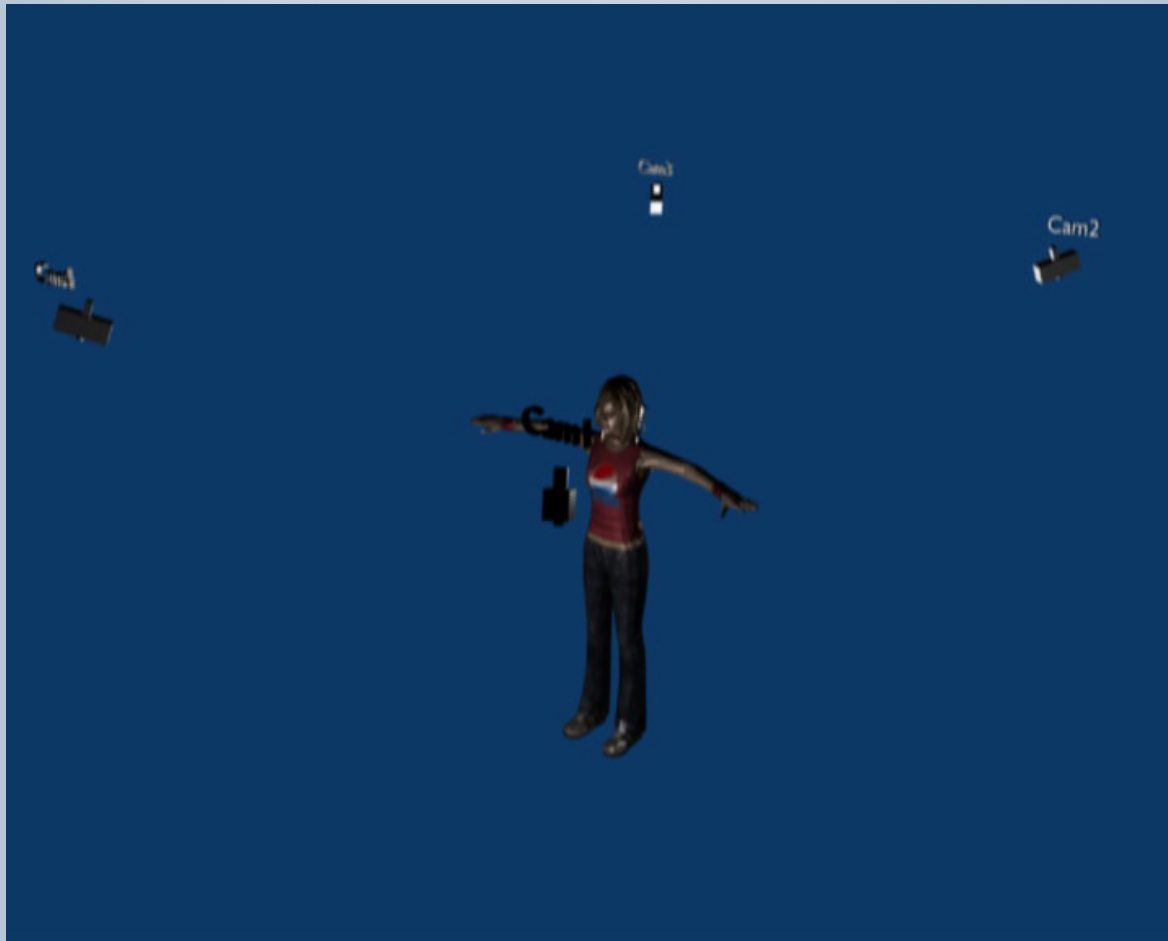
Introduction (2/3): Silhouette and visual hull



<http://www.stanford.edu/group/biomotion/CurrentProjectImages/VisualHull.jpg>

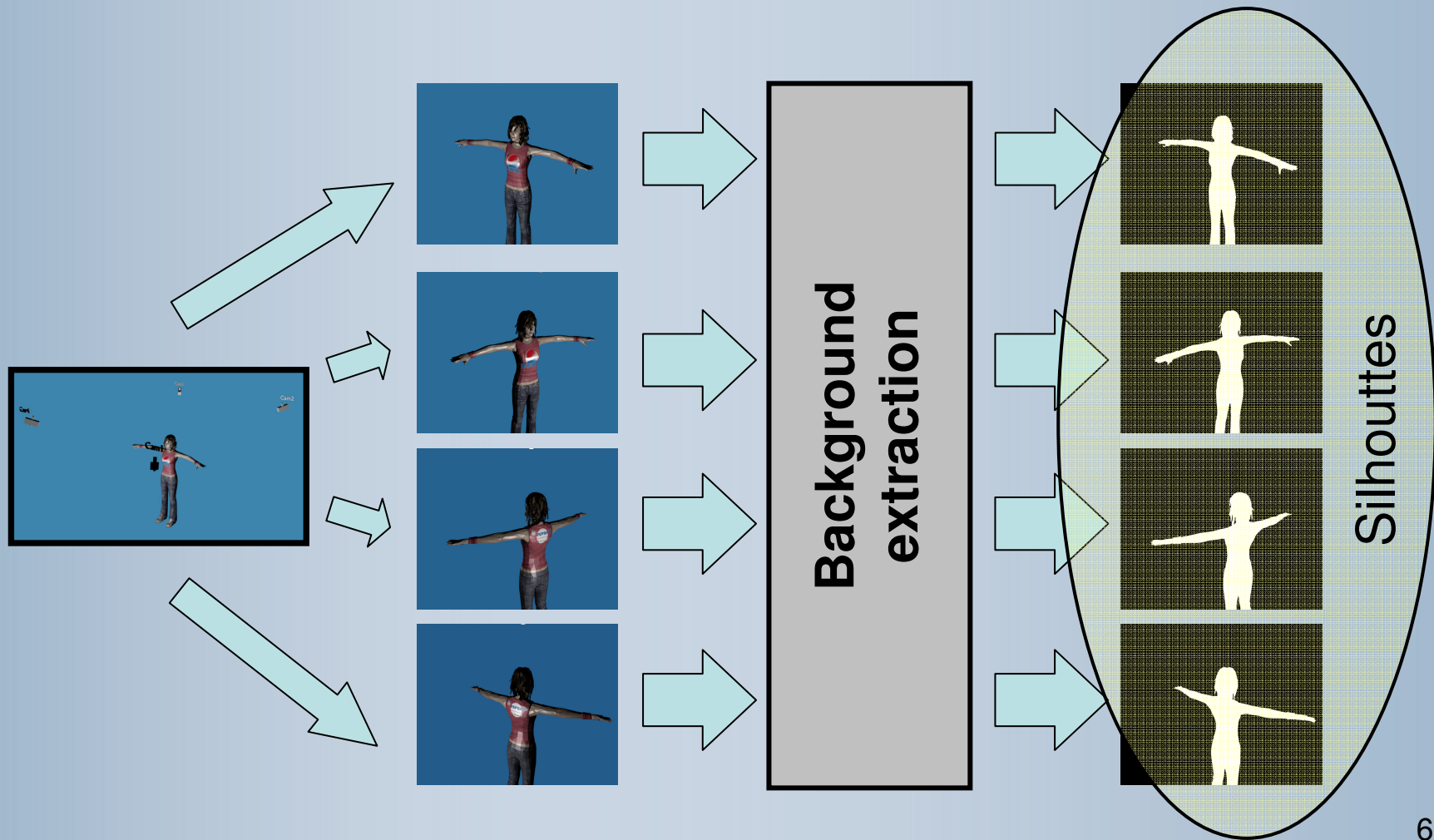
SFS - Visual Hull

Introduction (3/3): Background extraction



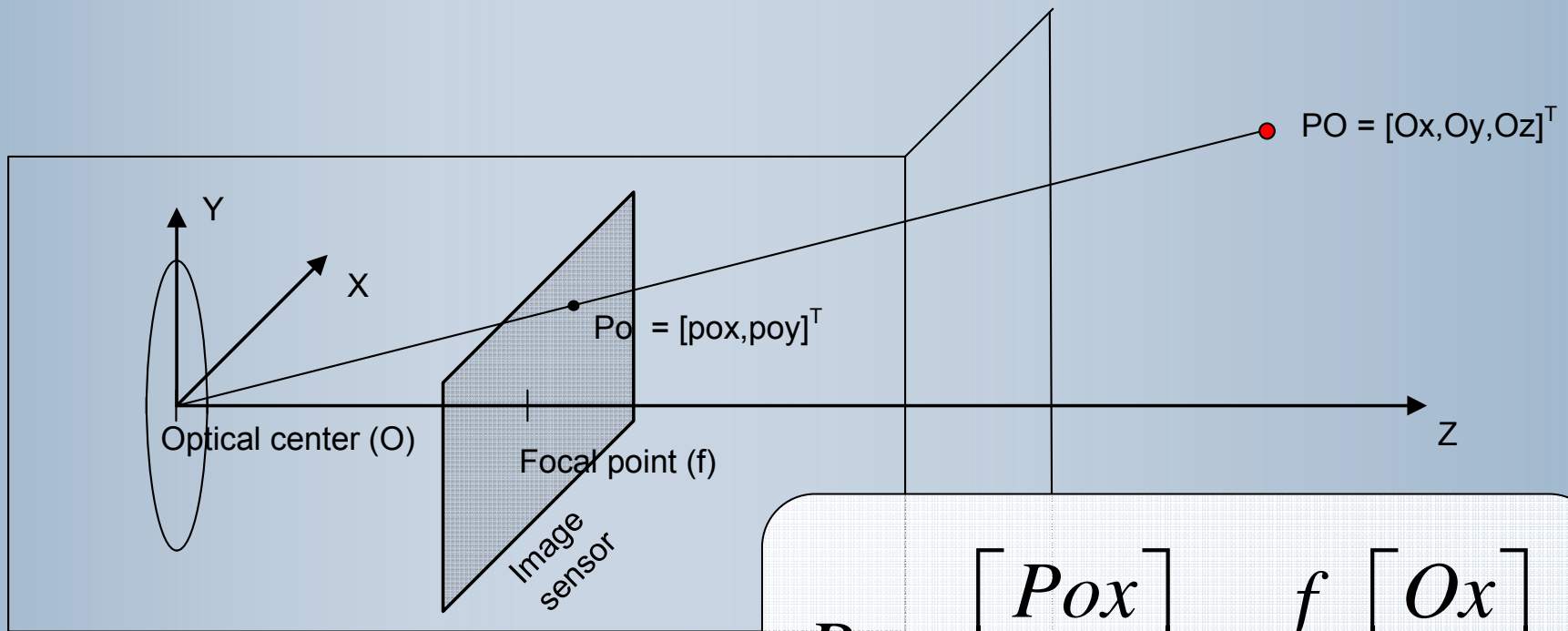
SFS - Visual Hull

Introduction (3/3): Background extraction



SFS - Visual Hull

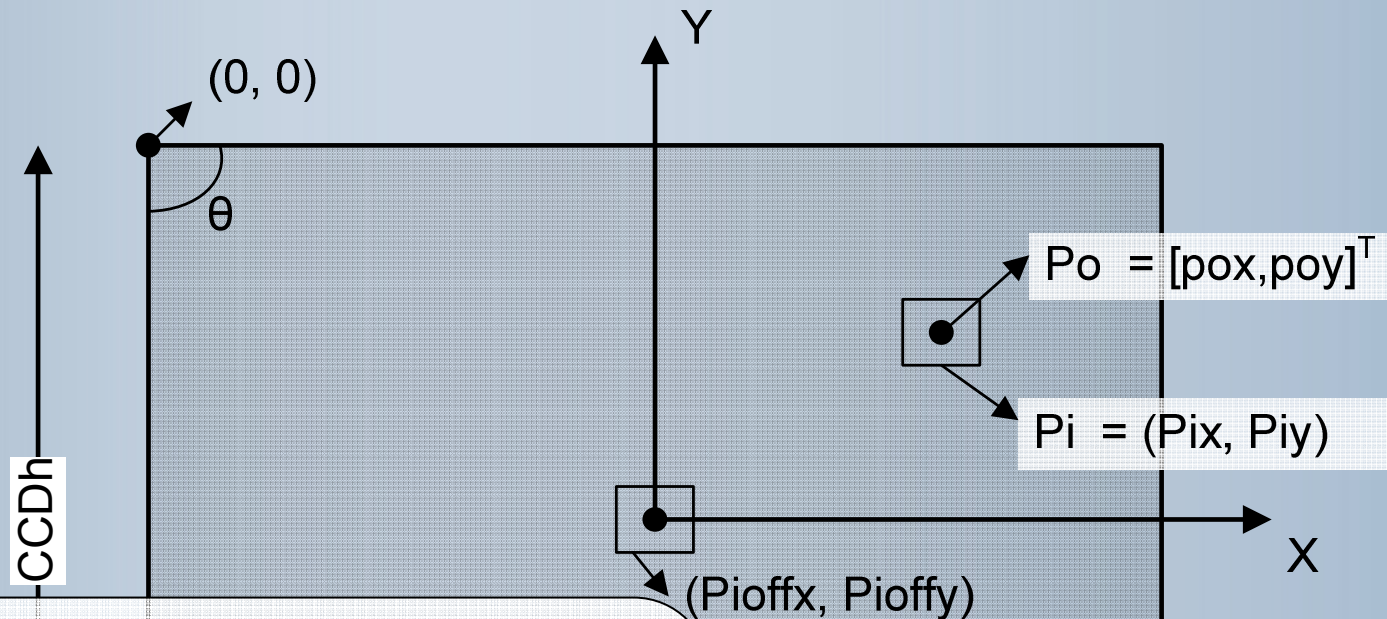
From 2D to 3D (1/6): Thin lens



$$P_o = \begin{bmatrix} P_{ox} \\ P_{oy} \end{bmatrix} = \frac{f}{O_z} \begin{bmatrix} O_x \\ O_y \end{bmatrix}$$

SFS - Visual Hull

From 2D to 3D (2/6): Pixel



$$S_x \equiv \frac{\text{Num.PixelsX}}{\text{CCD}_w}; S_y \equiv \frac{\text{Num.PixelsY}}{\text{CCD}_h}$$

$$Pix = pox \cdot S_x + Pioffx$$

$$Piy = poy \cdot S_y + Pioffy$$

SFS - Visual Hull

From 2D to 3D (3/6): Homogeneous coords.

$$P_{oh} = \begin{bmatrix} P_{ox} \\ P_{oy} \\ 1 \end{bmatrix} = \frac{1}{O_z} \cdot \begin{bmatrix} f & 0 & 0 \\ 0 & f & 0 \\ 0 & 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \end{bmatrix} \cdot \begin{bmatrix} O_x \\ O_y \\ 1 \end{bmatrix}$$

K_f

Π_o

$$P_i = \begin{bmatrix} P_{ix} \\ P_{iy} \\ 1 \end{bmatrix} = \begin{bmatrix} S_x & S_\theta & P_{ioffx} \\ 0 & S_y & P_{ioffy} \\ 0 & 0 & 1 \end{bmatrix} \cdot \frac{1}{O_z} \cdot \begin{bmatrix} f & 0 & 0 & 0 \\ 0 & f & 0 & 0 \\ 0 & 0 & 1 & 0 \end{bmatrix} \cdot \begin{bmatrix} O_x \\ O_y \\ 1 \end{bmatrix}$$

K_S

S_θ = 1/tan (θ) (Skew factor: pixel align compensation)

SFS - Visual Hull

From 2D to 3D (4/6): Intrinsic.

$$POh = \begin{bmatrix} O_x \\ O_y \\ 1 \end{bmatrix} \quad \lambda = O_z$$

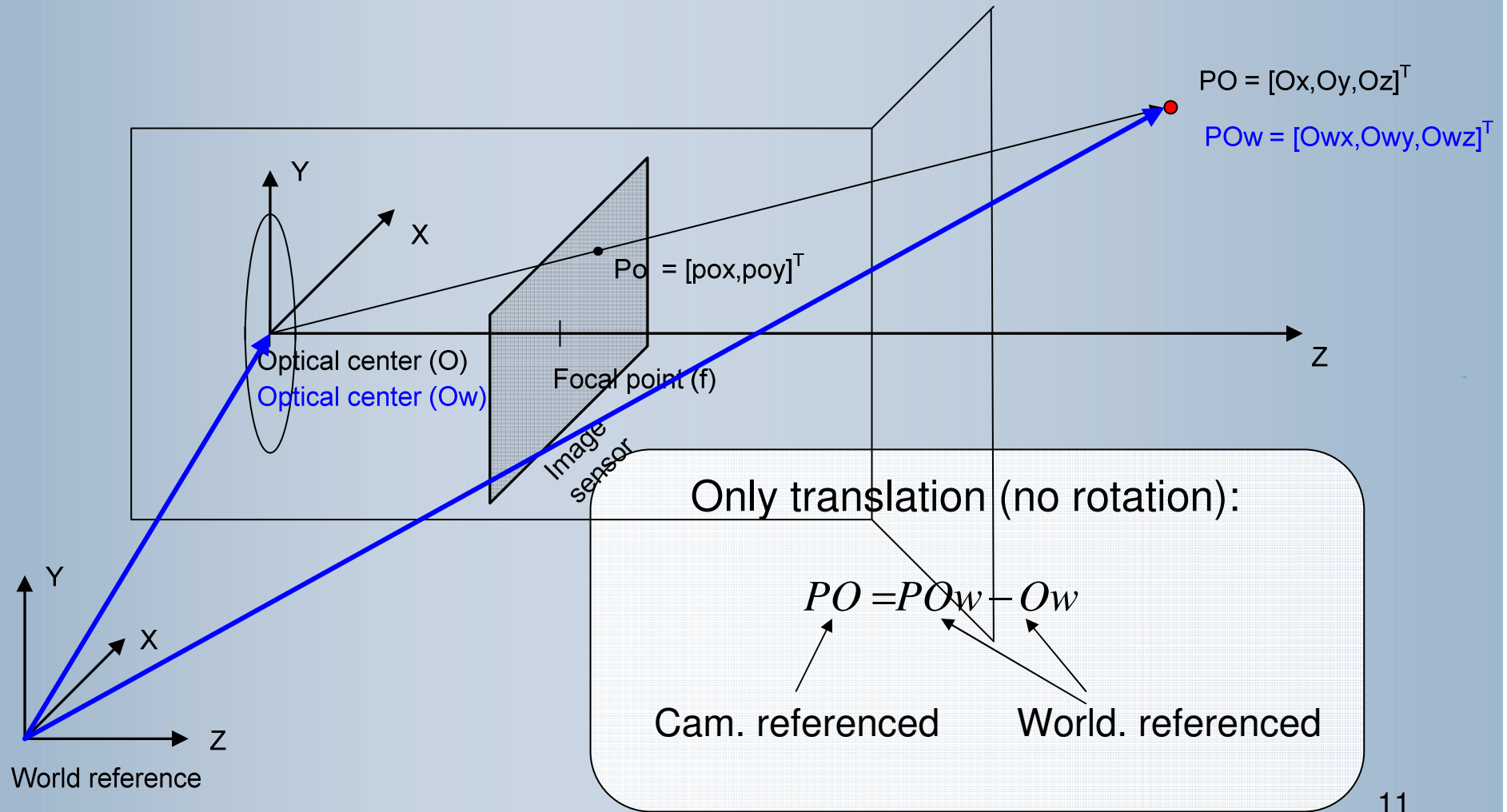
$$\lambda \cdot Pi = K_s \cdot K_f \cdot \Pi_o \cdot POh$$

$$K \equiv K_s \cdot K_f \quad (\text{Intrinsics matrix})$$

$$\lambda \cdot Pi = K \cdot \Pi_o \cdot POh$$

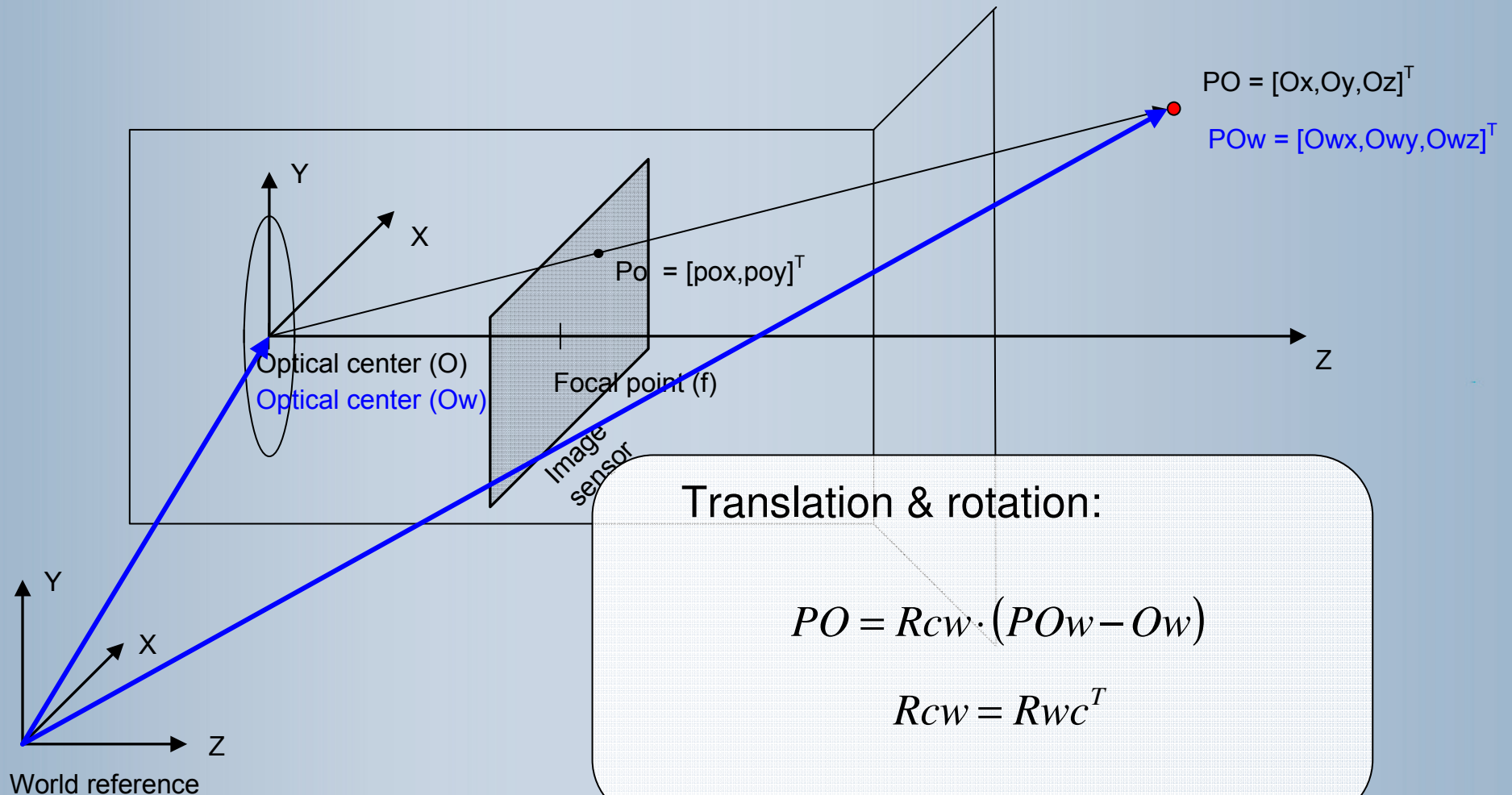
SFS - Visual Hull

From 2D to 3D (5/6): Extrinsics.



SFS - Visual Hull

From 2D to 3D (5/6): Extrinsics.



SFS - Visual Hull

From 2D to 3D (6/6): Extrinsics.

$$\begin{bmatrix} PO \\ 1 \end{bmatrix} = \begin{bmatrix} Rwc^T & -Rwc^T \cdot Ow \\ 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} POw \\ 1 \end{bmatrix}$$

$$P_{cw} \equiv \begin{bmatrix} Rwc^T & -Rwc^T \cdot Ow \\ 0 & 1 \end{bmatrix} \quad (\text{Extrinsics matrix})$$

$$\lambda \cdot Pi = K \cdot \Pi_o \cdot P_{cw} \cdot \begin{bmatrix} POw \\ 1 \end{bmatrix}$$

SFS - Visual Hull

From 2D to 3D (1/1): Projection matrix.

$$P_{rj} \equiv K \cdot \Pi_o \cdot P_{cw}$$

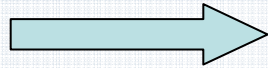
$$\lambda \cdot Pi = P_{rj} \cdot \begin{bmatrix} PO_w \\ 1 \end{bmatrix}$$

SFS - Visual Hull

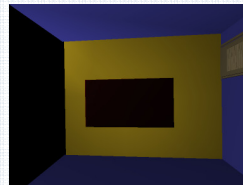
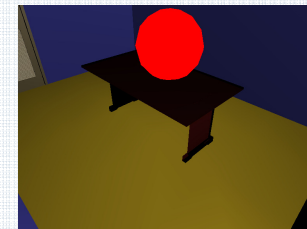
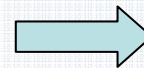
SFS Demo SFSTestApp (1/1):



Prj



SFSTestApp



See DEMO

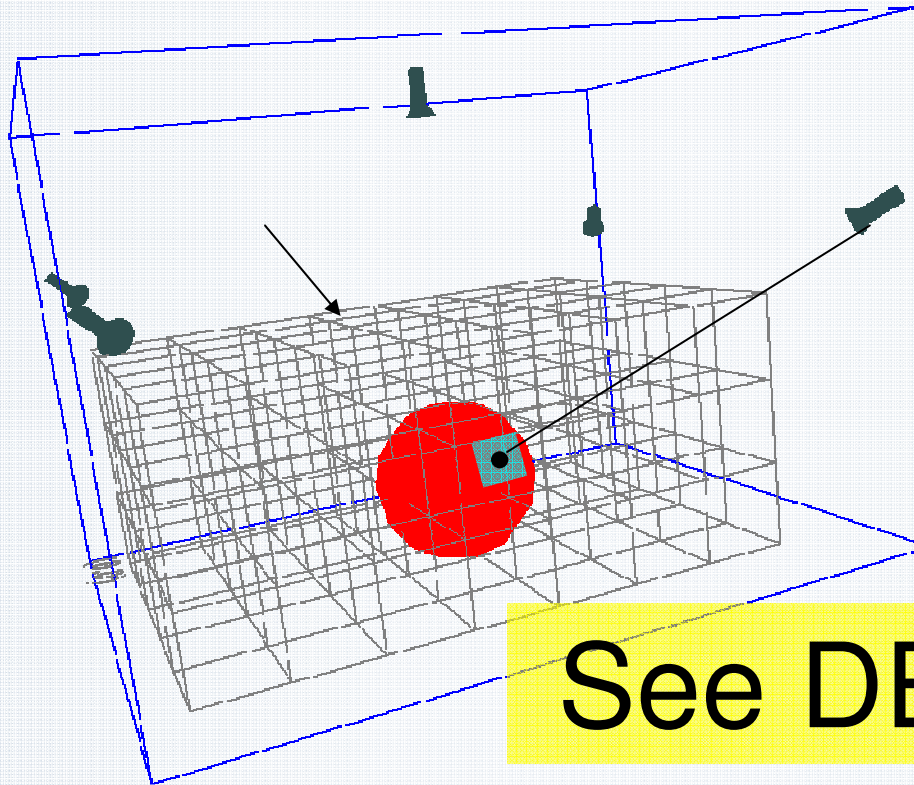
- It loads Prj matrix of cam.
- It loads a 3D composition of empty room (VMRL97)
- It can put 3D objects in the room
- It can save images from any viewpoint (PNG)
- **Can be used to test SFS algorithm and to evaluate them**



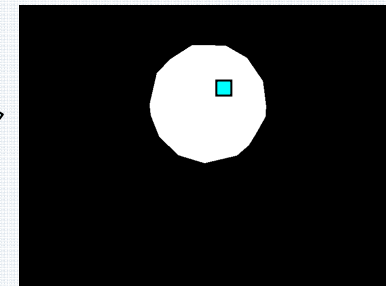
SFS - Visual Hull

SFS Demo Matlab toolbox (1/2):

SFS Implementation:

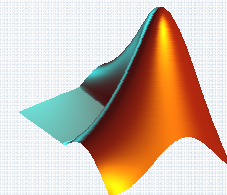


Cam1 silhouette



If (mask(pox,poy) > 0)&&(...
voxel(x,y,z) = obj

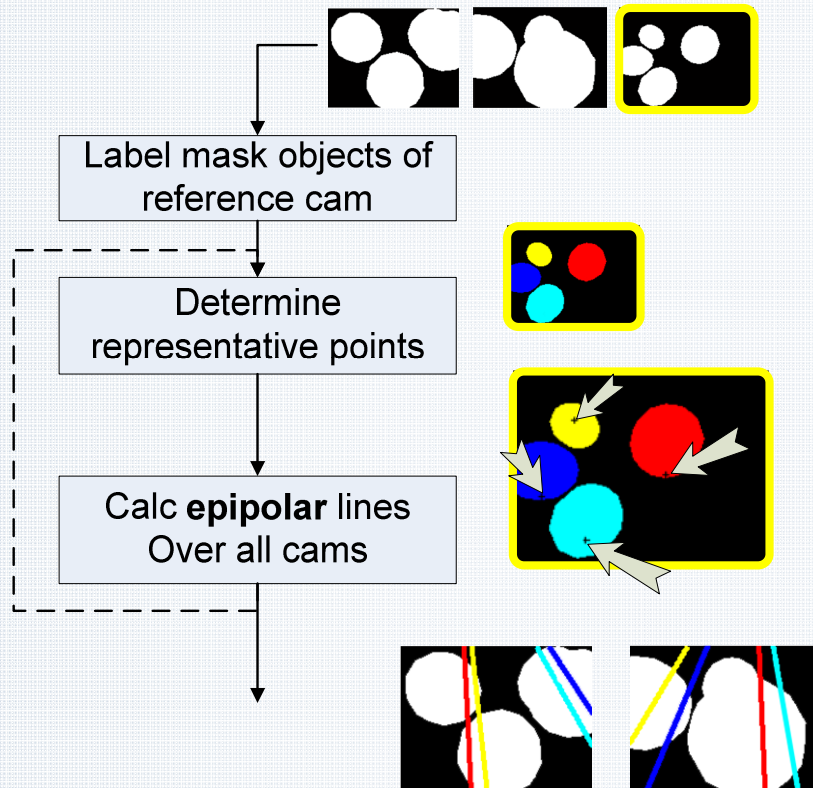
See DEMO



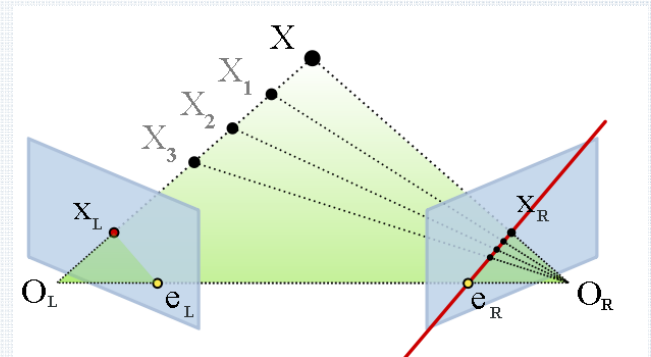
SFS - Visual Hull

SFS Demo Matlab toolbox (2/2):

Object labeling Implementation:



Epipolar geometry



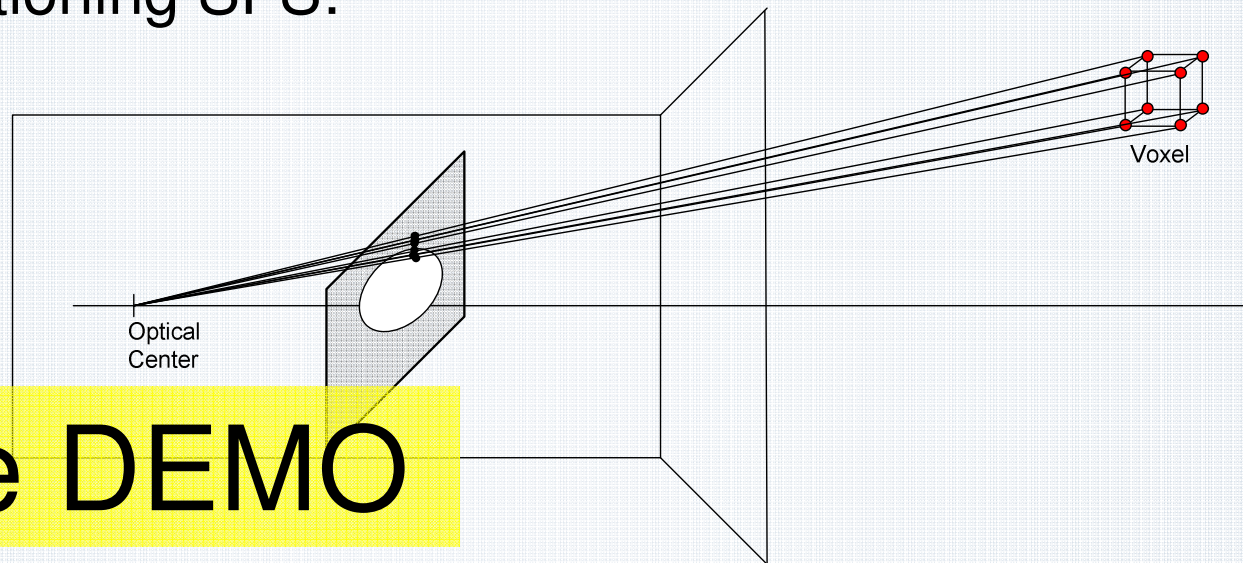
http://en.wikipedia.org/wiki/File:Epipolar_geometry.svg

See DEMO

SFS - Visual Hull

SFS Demo C++ (1/1):

Partitioning SFS:



See DEMO

